Data-Driven Surrogate Models for (Floating) Offshore Wind **Turbines**

STEP-WIND

fraining network in floating wind energy



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Photo: Principle Power

Structure

- WHAT and WHY: FOWT design challenges
- HOW: machine learning framework and stochastic models





Wind Turbine Design Challenges



Directionality Currents Conditions [1] Multi-dimensional probabilistic design space with ~1M *expensive* aero-servo-

Sea

Ultimate, Extreme, Average and Fatigue

Water Level

Other

Wind Turbine Design Challenges





Proposed Solution

STEP-WIND





[2] Schröder, L., Dimitrov, N. K., Verelst, D. R., A surrogate model approach for associating wind farm load variations with turbine failures (2020) Wind Energy Science [3] Zhu, X., Sudret, B. Global sensitivity analysis for stochastic simulators based on generalized lambda surrogate models (2021) Reliability Engineering & System Safety



Machine Learning Framework



under grant agreement No. 860737

Machine Learning Framework





System Behaviour







System Behaviour

STEP²

WIND





Stochastic System

STEP-WIND





Stochastic Models

Dataset $D = \{(x_i, y_i) | i = 1, ..., n\}$

STFP

WIND

Gaussian Process Regression/ Kriging^[1]

Gaussian process is a class of probability distribution over possible functions that fit a set of points, and represents prior knowledge about f

$$y_i = f(x_i) + \epsilon_i$$

$$\epsilon_i = N(0, \sigma^2)$$

$$cov(y_i, y_j) = \eta^2 \exp\left(-\frac{1}{2}\frac{|x_i - x_j|^2}{|x_i|^2}\right) + \sigma^2 \delta_{ij}$$

$$y|D = N(\hat{\mu}, \hat{\Sigma})$$

Gaussian Process with a latent variance^[2]

$$y_i = f(x_i) + \epsilon_i$$

$$z_i = \log(SD(\epsilon(x_i))) = r(x_i) + J_i$$

Gaussian Process with a latent covariate^[3]

$$y_{i} = g(x_{i}, z_{i}) + \zeta_{i}$$

$$f(x) = \int g(x, z)p(z)dz$$

$$cov(y_{i}, y_{j}) = \eta^{2} \exp\left(-\sum_{k=1}^{p} \frac{1}{2} \frac{|x_{i} - x_{j}|^{2}}{l_{k}^{2}} - \frac{(z_{i} - z_{j})^{2}}{l_{p+1}^{2}}\right) + \sigma^{2} \delta_{ij}$$



Average Reference Wind Speed





Average Reference Wind Speed



This project has received funding from the European Union's Horizon 2020 research and innovation programme under grant agreement No. 860737.

 Ref [1] C. E. Rasmussen & C. K. I. Williams, Gaussian Processes for Machine Learning (2006) MIT Press. ISBN 026218253X

 Useful: https://aerodynamics.lr.tudelft.nl/~rdwight/cfdiv/Videos/04/index.html

 [2] Goldberg, P. W., Williams, C. K. I., Bishop, C. M., Regression with input dependent noise: A Gaussian process treatment (1998) Advances in neural information

 Processing Systems

 [3] Wang, C., Neal, R., Gaussian Process Regression with Heteroscedastic or Non-Gaussian Residuals (2012) arXiv:1212.6246v1

Stochastic Models

Dataset $D = \{(x_i, y_i) | i = 1, ..., n\}$

• Stochastic gradient variational Bayes^[1]

$$\begin{split} y &= f_{\theta}(x,z) \\ p(y|x) &= \int p(y|x,z) \, p(z|x) \, dz \\ p(y|x,z) \text{ parametrized to } p_{\theta}(y|x,z) \text{ -> decoder} \\ p(z|x,y) \text{ parametrized to } q_{\phi}(z|x,y) \text{ -> encoder} \\ \log p(y|x,z) &= \log N(y;\mu,\sigma^2 I) \text{ -> } \mu = W_1 h + b_1 \text{ and } \log \sigma^2 = W_2 h + b_2 \end{split}$$

- Conditional generative model^[2]
 - Based on sgvb, but the model is trained by minimizing difference between the joint distribution of the generated data $p_{\theta}(x, y)$ and the joint distribution of the observed data q(x, y)
- Replication based models^[3]
 - Regression performed over the parameters of a generalizable PDF
- Overview of other interesting methods: reference^[4]



Ref [1] Kingma, D. P., Welling, M., Auto-encoding variational bayes (2014) 2nd International Conference on Learning Representations, Conference Track Proceedings
 [2] Yang, Y., Perdikaris, P., Conditional deep surrogate models for stochastic, high-dimensional, and multi-fidelity systems (2019) Computational Mechanics
 [3] Zhu, X., Sudret, B. Global sensitivity analysis for stochastic simulators based on generalized lambda surrogate models (2021) Reliability Engineering & System Safety
 [4] Sudret, B. and Zhu, X., Surrogate models for stochastic simulators: an overview with a focus on generalized lambda models (2021) MascotNum Workshop on "Stochastic simulators" (online)



Results - averaged loads



Results – stddev loads







Ref [1] Kingma, D. P., Welling, M., Auto-encoding variational bayes (2014) 2nd International Conference on Learning Representations, Conference Track Proceedings
 [2] Yang, Y., Perdikaris, P., Conditional deep surrogate models for stochastic, high-dimensional, and multi-fidelity systems (2019) Computational Mechanics
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